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JC MATHEMATICS (H2) STUDY TIPS

THE FUNDAMENTAL PROPERTIES
OF A BINOMIAL DISTRIBUTION
THAT ARE COMMONLY TESTED
IN EXAM

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JC_H2Maths_025



• Properties

A Binomial distribution $X \sim B(n, p)$ has the following properties:

- (i) There are n numbers of independent trials.
- (ii) Each trial has two possible outcomes: “success” and “failure”, such that $P(\text{success}) + P(\text{failure}) = 1$.
- (iii) The probability of “success”, i.e. p remains constant in each trial.

Quick GC Reference

• **binompdf** first press

2nd

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Given that $X \sim B(n, p)$,

$$P(X = x) = \text{binompdf}(n, p, x)$$

All the probabilities ($x = 0, 1, 2, \dots, n$) are displayed if “x value” is left blank.

Example 1

Given that $X \sim B(8, 0.2)$, find $P(X = 3 \text{ or } 4)$.

$$= P(X=3) + P(X=4)$$

$$= 0.193 \text{ (3sf)}$$

Example 2

An unbiased dice is thrown five times. Find the probability that

- (i) three “4”s are obtained,
- (ii) at least one “4” is obtained,
- (iii) three “4”s are obtained given that at least one “4” is obtained.

Let X be the r.v. denoting the no. of ‘4’ obtained out of 5 throws.

$$\Rightarrow X \sim B(5, 1/6)$$

$$(i) P(X = 3) = 0.032150(5sf) = 0.0322 \text{ (3sf)}$$



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Explanation

A binomial distribution describes a statistical scenario built on a fixed number of separate, independent trials. Independence ensures that the result of one trial never influences any other.

Every single trial must lead to only one of two possible outcomes, typically labeled as success or failure. Because these are the only two choices, the chance of succeeding added to the chance of failing always equals a complete certainty.

Additionally, the likelihood of achieving a success must remain completely unchanged and constant from the start of the experiment to the very end.

When students answer standard exam questions about the assumptions for using this statistical distribution, the required criteria are almost always extracted directly from these core properties.

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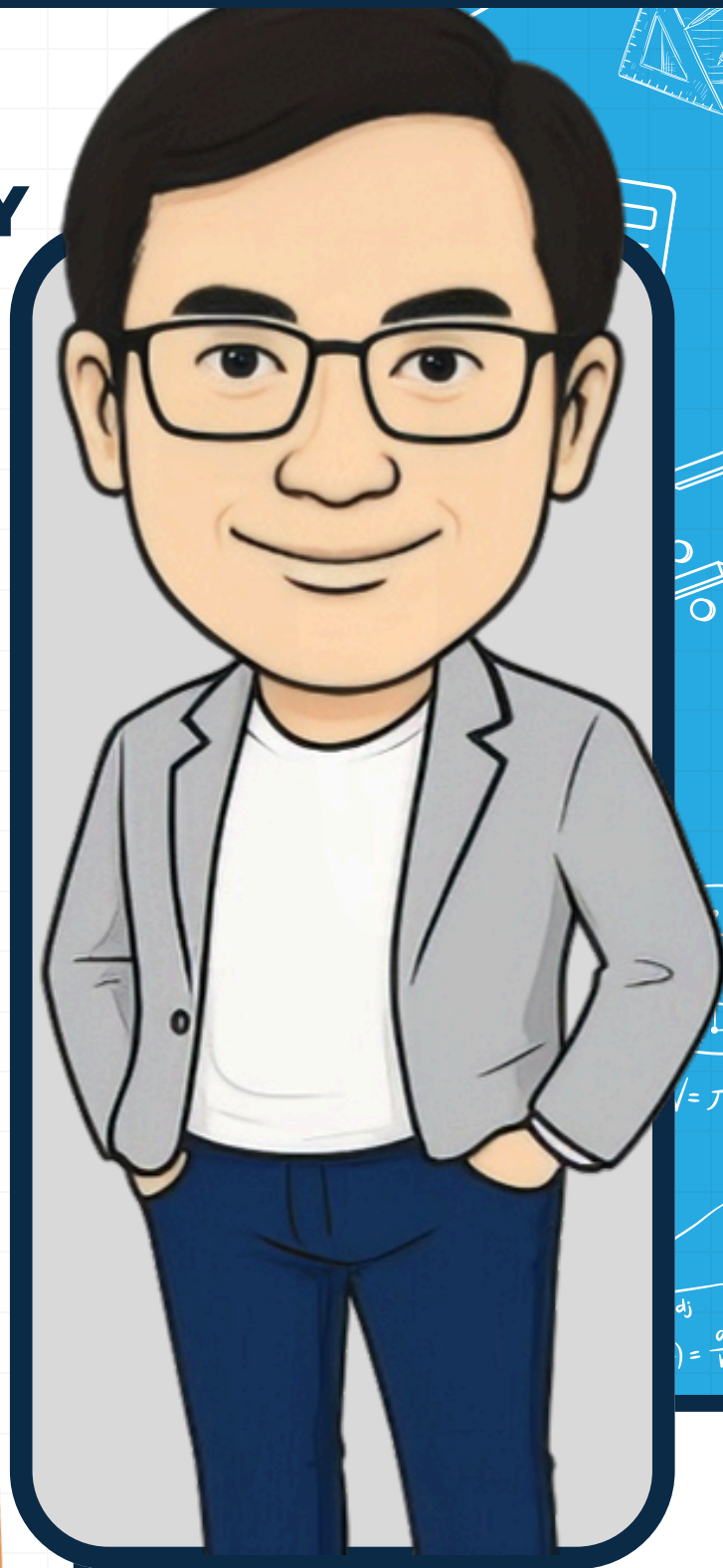
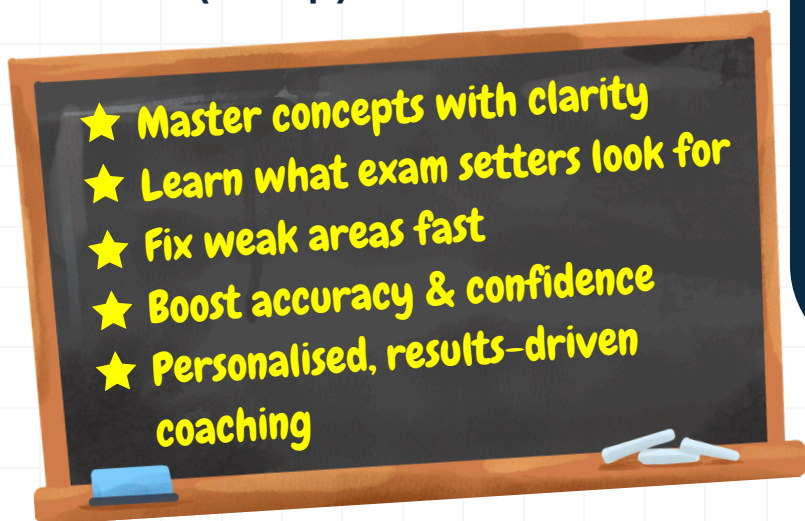
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